























Unbounded LP Objective function can be made arbitrarily good while satisfying all constraints Change Example 1 to make it unbounded





















Dual: intuition

- Moulton wants to borrow Thorne's equipment for a day for a special event.
- Moulton will pay Thorne \$y1/min, \$y2/min, and \$y3/min for the 3 equipment, resp. such that:
 - 1. (Dual objective) Moulton <u>minimizes</u> the total cost of renting
 - 2. (Dual constraints) Moulton will make sure that Thorne recuperates the lost payoff for each piece of dessert through rental income











Strong duality theorem If the primal LP has a finite optimal solution, then so does the dual LP. Moreover, these two optimal solutions have the same objective function value. In other words, if either the primal or the dual LP has a finite optimal solution, the gap between them is 0.























Does LP work for NE?

No

Reason:

Definition 1.4.4 (Expected utility of a mixed strategy). Given a normal-form game (N, A, u), the expected utility u_i for player i of the mixed-strategy profile $s = (s_1, \ldots, s_n)$ is defined as

$$u_i(s) = \sum_{a \in \mathcal{A}} u_i(a) \prod_{j=1}^n s_j(a_j).$$

